A1 Answers to the Non-Calculator Paper  1 Mark 1 common denominator  Mark 2 answer  2 Mark 1 evidence of any 3 correct terms  Mark 2 all 6 terms correct  Mark 3 collect like terms  Mark 1 substitute into the function  Mark 2 answer  4 - 5 = -1  4 Mark 1 correct bracket with square  Mark 2 completed square  Mark 2 follow a valid strategy to find values for y and for x  23y = 69, y = 3  or 23x = 23, x = 1,  Mark 3 Both values correct for this simultaneous equation  Mark 2 angle OBC is 90°, the obtuse angle EBC is  Mark 3 use triangle EBC to find the shaded angle. Angles must either be marked on the diagram or clearly stated in the answer i.e. $\angle OBC$ is $90^\circ$ Mark 1 correct substitution into formula for a cone  Mark 2 answer  Mark 2 correct substitution into formula for a cone  Mark 3 mark 1 correct substitution into formula for a cone  Mark 2 answer  Mark 3 mark 4 correct substitution into formula for a cone  Mark 5 mark 6 mark 7 mark 7 mark 7 mark 1 use laws of indices  Mark 1 correct substitution into formula for a cone  Mark 2 answer  Mark 3 mark 1 correct substitution into formula for a cone  Mark 2 answer  Mark 3 mark 4 correct substitution into formula for a cone  Mark 2 answer  Mark 3 mark 4 correct substitution into formula for a cone  Mark 2 answer  Mark 3 mark 4 correct substitution into formula for a cone  Mark 2 answer	
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$\frac{1}{3} \times 90 \times 3.14 \rightarrow 30 \times 3.14 \rightarrow 3 \times 31.4 = 94.2$	
9 Mark 1 simplify $\sqrt{20}$ $\sqrt{20} = \sqrt{4}\sqrt{5} = 2\sqrt{5}$	
Mark 2 simplify $\sqrt{125}$ $\sqrt{125} = \sqrt{25}\sqrt{5} = 5\sqrt{5}$	
Mark 3 collect like terms $2\sqrt{5} + 5\sqrt{5} - \sqrt{5} = 6\sqrt{5}$	
9 Mark 1 & 2 state correct coordinate $A(-5,0)$	
Mark 3 state correct coordinate $B(0,25)$	
Mark 4 state equation of axis of symmetry $x = -5$	
One mark can be given in part (i) for $A(0,-5)$ or $A(5,0)$	